



Academic year: 2023-2024

Level: 1st year “Computer Science & Mathematics”

Module: Algorithmic and Data Structures 2

TD n°2 “Solution”

Pedagogic objectives

- Manipulate sub-algorithms (subroutines): procedures & functions;
- Understand the difference between them;
- Understand the concepts: local variable, global variable, formal parameter, effective parameter, passing parameters by value and by address.

Exercise n°1

Q1 and Q2

```
Algorithm exo1; Global variables
Variables X ,Y,Z : integer;
P_Test Procedure (A, B, C: integer); Formal parameters
Variable S: integer; Local variable
Begin
S ← A+B+C
Write (S);
End;
Begin
Read (X,Y,Z); Effective parameters
P_Test (X, Y, Z);
END.
```

Q3 and Q4

```

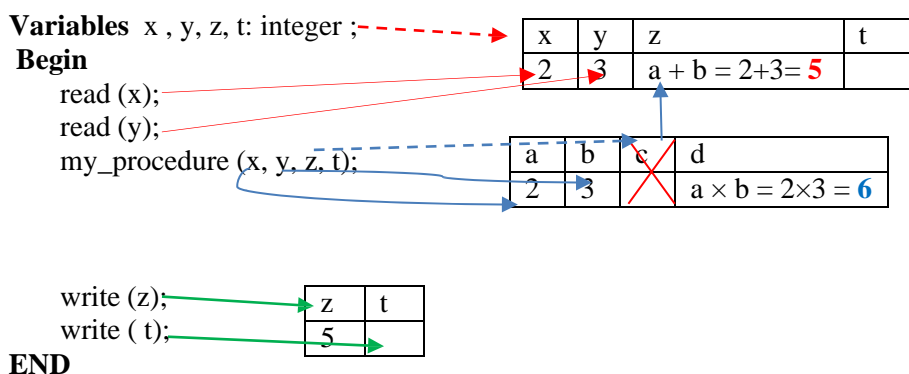
Algorithm exo1;
Variables X ,Y,Z, R : integer;
Function F_Test (A, B, C: integer): integer;
Var S: integer;
Begin
S ← A+B+C.
F_Test ← S; End;
Begin
Read (X,Y,Z);
R ← F_Test (X, Y, Z); Write
(R);
END.
    
```

Exercise n°2:

- The effective parameters are those of the calling program (of the main algorithm): x, y, z, t .
- The formal parameters are those of the sub-algorithm (the procedure) and make it possible to recover the value of the real parameters: a, b, c, d
- What does this program display assuming the user enters 2 in x and 3 in y ?

```

Algorithm exo2;
Procedure ma_procedure ( a, b, var c, d: integer)
Begin
    c ← a + b ;
    d ← a × b;
End;
    
```

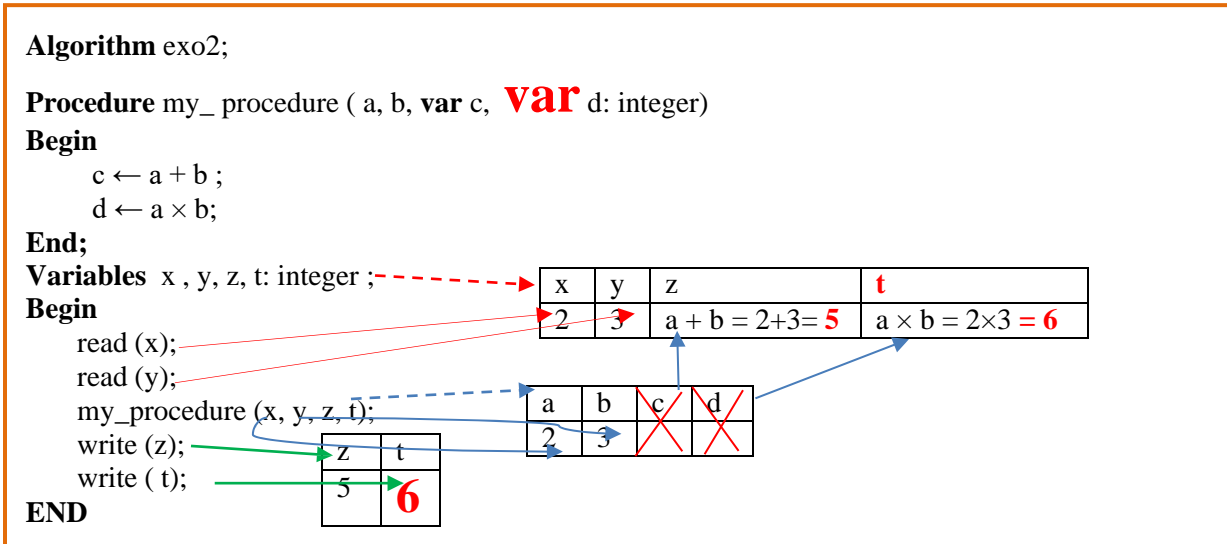


After the call to *my_procedure* , $z = 5$ and t is **worth nothing specific**. Indeed, c is a parameter passed by variable, so the modifications made to c in the sub-algorithm are reflected in the corresponding effective parameter z . On the other hand, d being a parameter passed by value,

the corresponding effective parameter t is not affected by the changes. t therefore retains its value before the call to the sub-algorithm.

- *Modify the code to obtain a more logical result.*

By “transforming” d into a parameter by variable (address), in this case *my_procedure* takes two integers as input and returns via c the sum of these two integers and via d their product.



Exercise n° 3

1. Run the algorithm with the following array:

1	0	2	4	3	1	2	1	2	3
---	---	---	---	---	---	---	---	---	---

The algorithm displays:

19
0

2. What is the role of the procedure P1?

It calculates the sum of the elements of an array.

3. What is the role of the procedure P2?

It calculates the product of the elements of an array.

4. In the main algorithm, is it possible to calculate $C1 = a/2$ and $C2 = b/2$?

No, we cannot.

Justify your answer

The variables “**a**”, declared to calculate the sum, and “**b**”, declared to calculate the product, are **local variables**. In fact, they cannot be used in the main algorithm because the space of these local variables is freed at the end of the execution of the procedures.

5. Replace both procedures with functions.

```
Algorithm exo3;
Variables T : array [1..100] integer;
          N,S,P,i:integer;
Function F1 (T: array [1.. N ] integer): integer ;
Variables i , a: integer;
Begin
  a ←0 ;
  For i ← 1 to N do
    a←a+ T [i] ;
  End for
  F1←a ;
End;
Function F2 ( T: array [1.. N ] integer ): integer ;
Variables i , b: integer;
Begin
  b←1;
  For i ← 1to N do
    b←b *T[i];
  Endfor
  F2←b ;
End;
Begin
Repeat
  Read(N);
Until (N>=1 and N<100)
  For i ← 1 to N do
    Read (T[i]);
  Endfor
  S← F1(T); Write (S);
  P ←F2(T); Write (P);
END
```

In this case, is it possible to calculate C1 and C2 in the main algorithm?

Yes. The use of functions makes it possible to recover the result of the sum “a” in **the global variable S** and the result of the product “b” in **the global variable P** ;

Exercise n°4:

1.

Algorithm exo4;

Variables T: array [1..20] real;
val: real;
case: integer;
b: boolean;

Procedure FindVal (N: Integer, T: array[1.. N] real, val: real; **Var** rg : integer, found: boolean);

Variables i: integer;

Begin

found ← false;

rg ← 0 ;

i ← 1 ;

Repeat

 If (T[i] = val) then

 found ← true;

 rg ← i;

 else

 | i ← i + 1 ;

 endif

Until (found = true OR i > N)

End;

Begin

// We assume that T is already filled

Read (val);

FindVal (20, T, val, case, b);

If (b = true) then

 Write (“The value”, val, “was detected at the position”, case);

Else

 Write (“Value not found”);

Endif

END

2.

Algorithm exo4;

Variables A1, A2: array [1.. 20] real;
M1, M2: integer;
b: boolean;

Function Compare (N1, N2: integer, T1: array [1..N1] real, T2: array [1..N2] real): **boolean**;

Variables i: integer;

 identical: boolean;

Begin

```

If (N1 ≠ N2) then
    identical = false; // if the arrays are different sizes, they are not identical.
else
    i ← 1;
    identical ← true;
Repeat
    If (T1[ i ] ≠ T2[i ] )Then
        identical ← false;
    else
        i ← i+1 ;
    Endif
Until (identical = false OR i > N1)
    Compare ← identical;
End if
END
Begin
Read (M1 , M2); // M1 and M2 ≤ 20 We assume that A1 and A2 are already filled
    b= Compare (M1, M2, A1, A2 );
    If (b = true) then
        Write (“the two tables are identical”);
    else
        Write (“the two tables are not identical”);
    Endif
END

```

Exercise n° 5:

1.

```

Function Som_Div (n: integer): integer;
    Variable i, sum: integer;
Begin
    sum ← 0 ;
    For i ← 1 to (n div 2) do
        If (n mod i = 0) then
            sum ← sum+i ;
        Endif
    EndFor
    Som_Div ← sum;
End;

```

2.

```

Procedure P_Perfect (n: integer);
    Variable S: integer;
Begin
    S ← Som_Div (n);

```

```

If (S = n) then
    Write (“the number”, n, “ is perfect”);
Else
    Write (“the number”, n, “is not perfect”);
Endif
End;

```

3.

```

Function F_Perfect (n: integer): boolean;
Variable S: integer;
Begin
    S= Som_Div (n);
    If (S = n) then
        F_Perfect ←true;
    Else
        F_Perfect ←false;
    Endif
End;

```

4. Main algorithm:

```

Algorithm Perfect;
Variables Bool : boolean, n: integer;
//Declaration and definition of subroutines 1, 2, 3.
Function Som_Div (n: integer): integer;
    Variable i, sum: integer;
    Begin
        sum ←0 ;
        For i ←1 to (n div 2) do
            If (n mod i = 0) then
                sum ← sum+i ;
            Endif
        EndFor
        Som_Div← sum;
    End;
Procedure P_Perfect (n: integer);
    Variable S: integer;
    Begin
        S← Som_Div (n);
        If (S = n) then
            Write (“the number”, n, “ is perfect”);
        Else
            Write (“the number”, n, “is not perfect”);
        Endif
    End;
Function F_Perfect (n: integer): boolean;

```

```
Variable S: integer;  
Begin  
  S = Som_Div (n);  
  If (S = n) then  
    F_Perfect ← true;  
  Else  
    F_Perfect ← false;  
  Endif  
End;
```

```
Begin  
Write ("Enter a number"); Read (n);  
// Procedure call  
P_Perfect (n); // here, "n" is an effective parameter.  
// Function call  
Bool ← F_Perfect (n); // here, "n" is an effective parameter.  
If (Bool = true) then  
  Write ("the number", n, " is perfect");  
Else  
  Write ("the number", n, "is not perfect");  
End if  
END
```